

On the relationship between X-ray, MIR and bolometric luminosities of broad line QSOs

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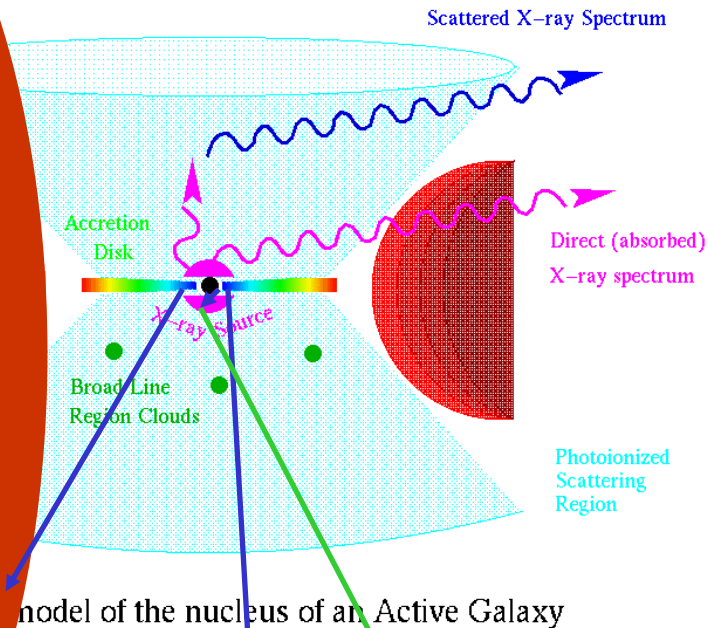
Pedro Fernández-Manteca
Silvia Mateos

Treasures hidden in X-ray catalogues, Toulouse, 22 - May - 2018

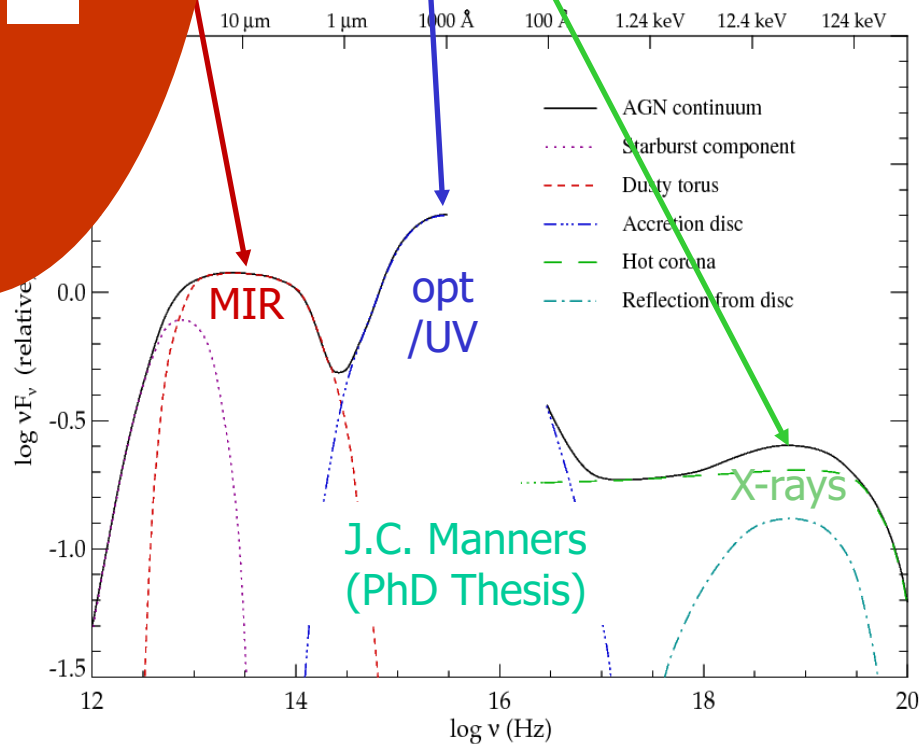


Outline

- Introduction
 - Unified model and X-ray/MIR emission
 - Previous results
- Our sample
- Results: L_X - L_{MIR}
 - Model fitting: Bayesian and 2D uplims
- Comparing to L_{bol} : $L_{\text{MIR}}/L_{\text{bol}}$ and L_X/L_{bol} vs L_{bol}
- Comparing to Eddington ratio...
- Conclusions



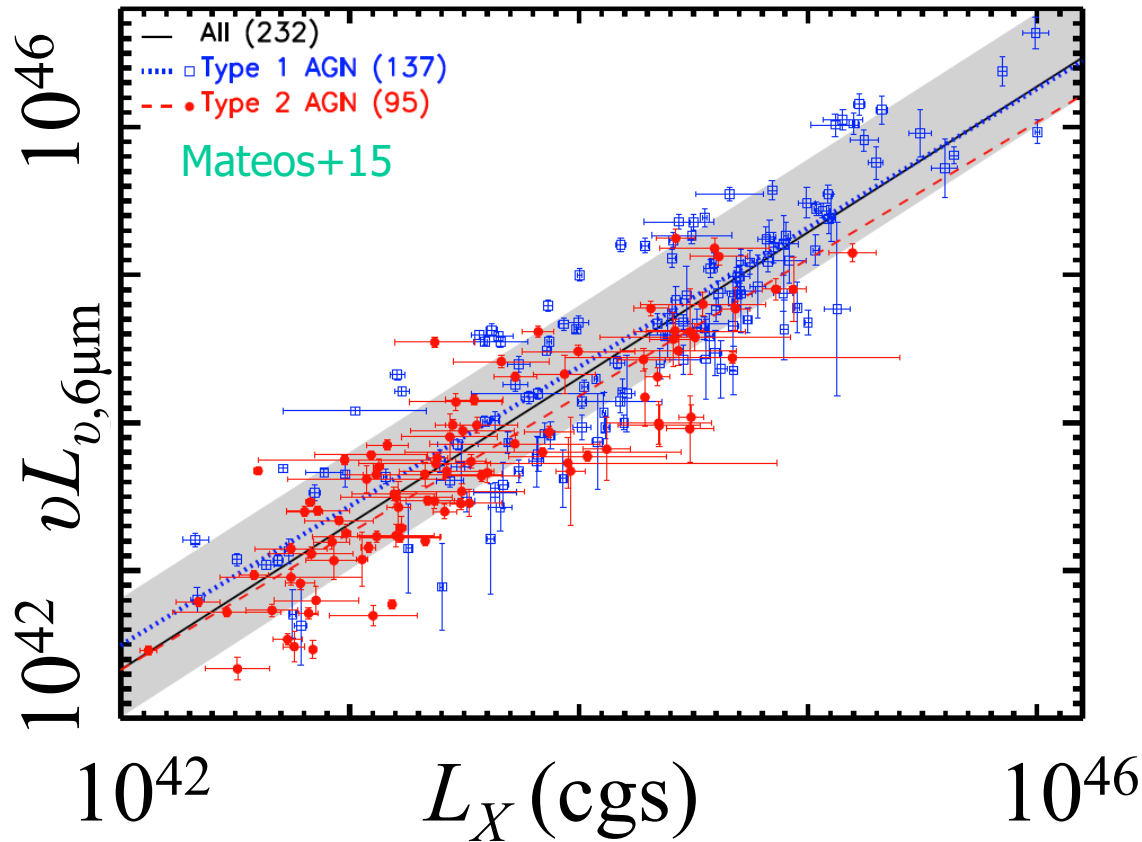
model of the nucleus of an Active Galaxy



Unified Model

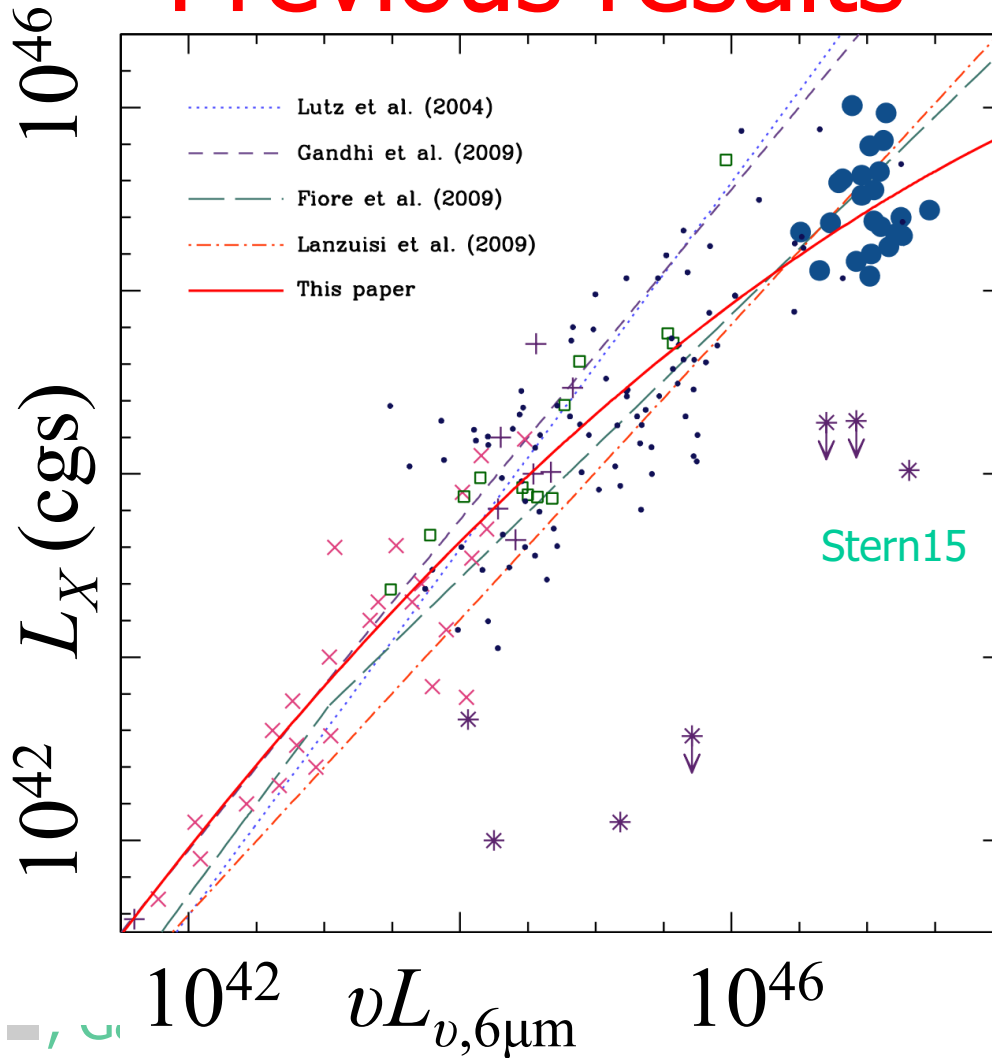
- First-order approach: all AGN intrinsically the same
 - Main difference from orientation w.r.t. line of sight
 - Main engine is central part of AD: rest frame optical/UV
 - X-rays from AD corona: reprocessed (IC)
 - MIR from obscuring torus: reprocessed (thermal)

Previous results



- Expected then $\sim 1:1$ relation between MIR ($\nu L_{\nu,6\mu\text{m}}$) and X-ray lum ($L_{X,2-10\text{keV}}$): e.g. Lutz+04 ■, Gandhi+09, Fiore+09, Mateos+15 ●, Shimizu+17...
- But recently flattening at high L_{MIR} : (Stern'15)
 - Surprising within UM: if anything the opposite (receding torus... Simpson'05)
 - But agreement with $\alpha_{OX} \downarrow$ when $L_{opt} \uparrow$ (...Lusso & Risaliti'17...)

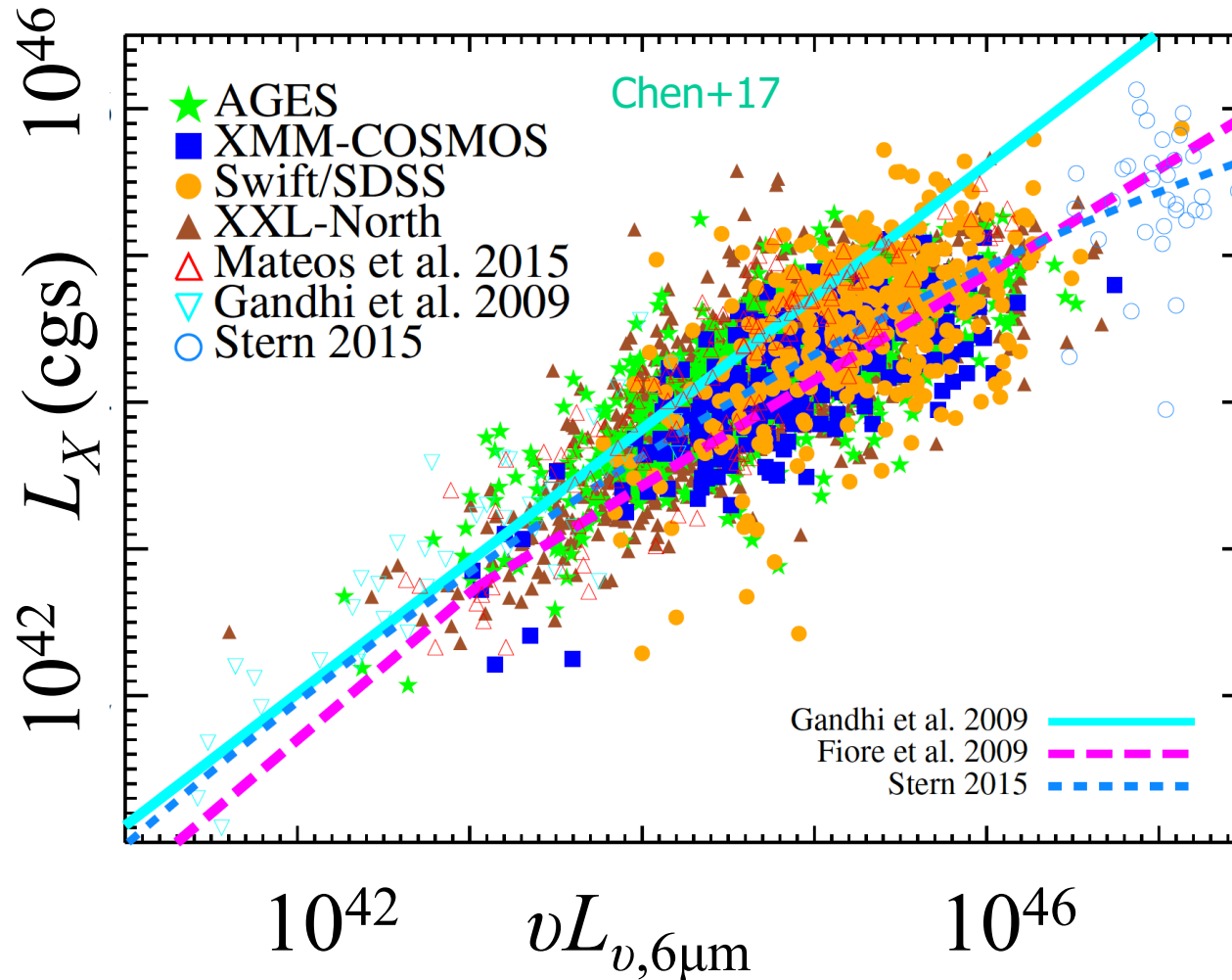
Previous results



- Expected thermal emission from the inner disk
e.g. Lutz+04 $\propto vL_{\nu,6\mu\text{m}} \propto L_X$
- But recently flattening at high L_{MIR} : (Stern'15)
 - Surprising within UM: if anything the opposite (receding torus... Simpson'05)
 - But agreement with $\alpha_{OX} \downarrow$ when $L_{opt} \uparrow$ (...Lusso & Risaliti'17...)

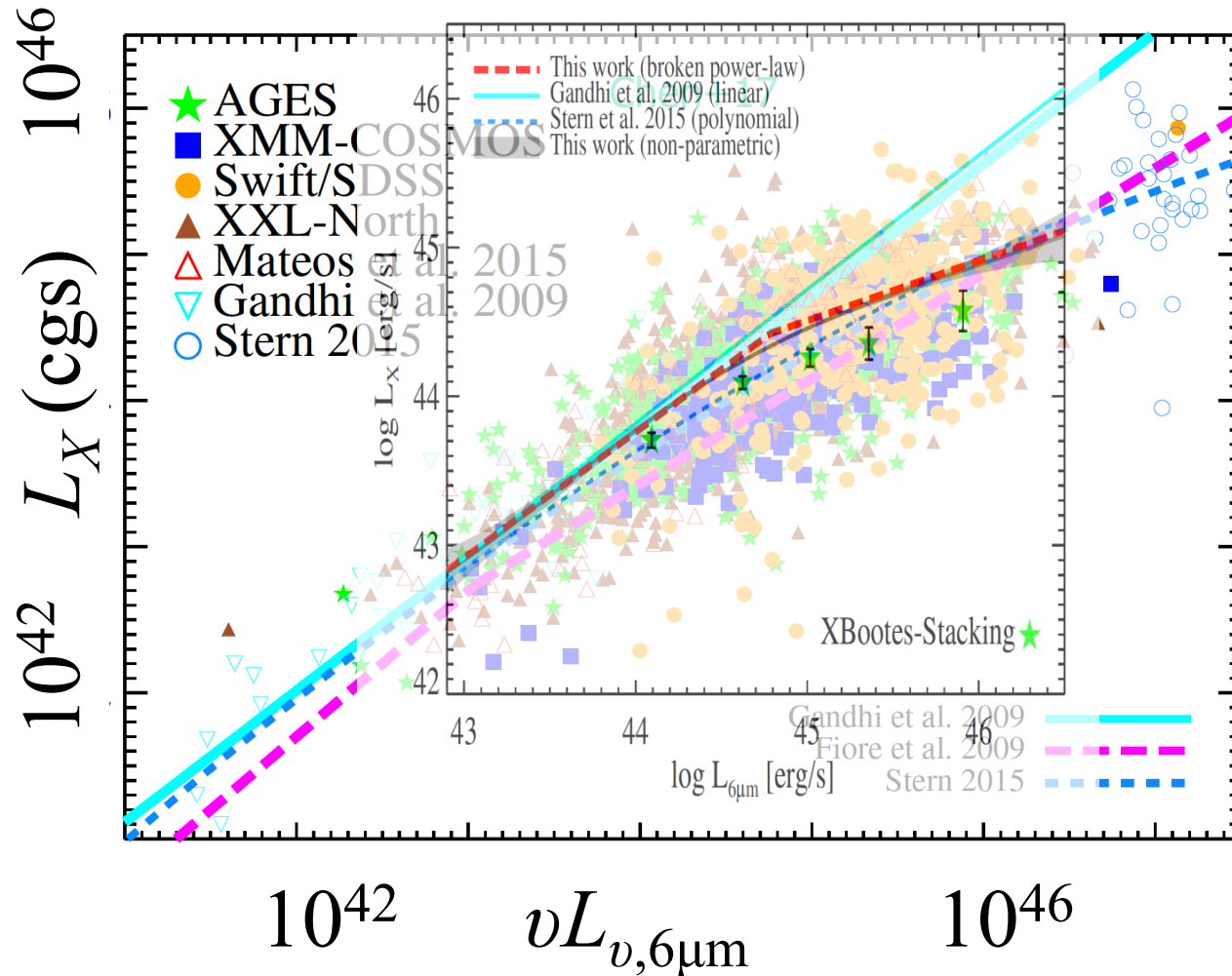
ray lum ($L_{X,2-10\text{keV}}$):
mizu+17...

Previous results



- **Chen+17**: 3488 QSO1 from several samples, X-det and MIR-det
- Flattening fitted with broken power-law (broken line in log-log)
- Discuss effect of X uplims, X-ray abs., X-ray flux limits, SF contamination...

Previous results



- **Chen+17**: 3488 QSO1 from several samples, X-det and MIR-det
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Our sample

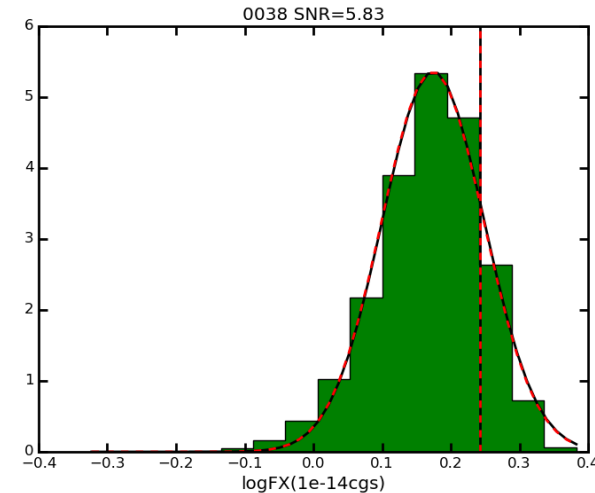
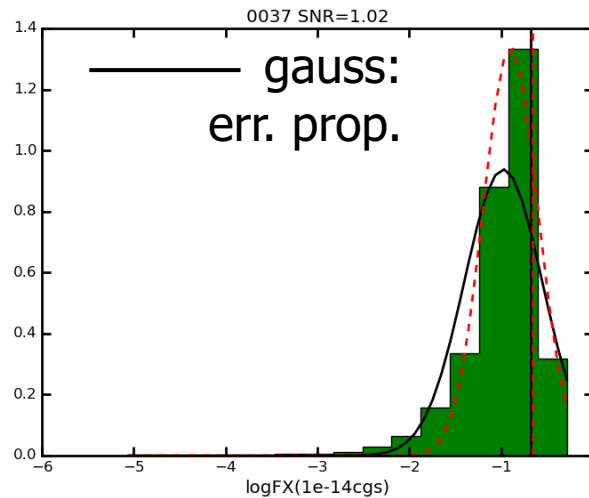
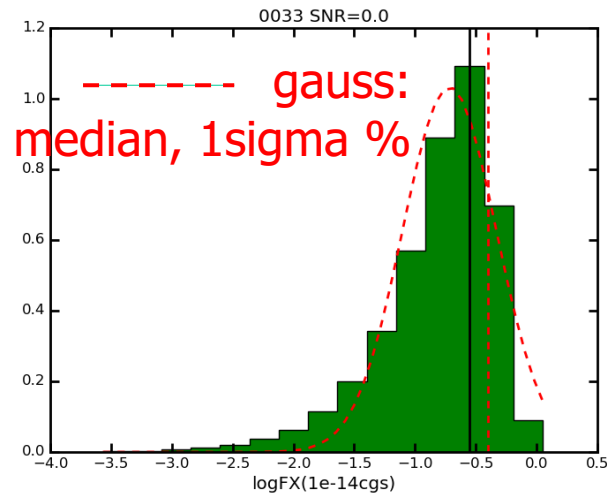
- We wish to get the **largest possible sample of luminous objects**
 - **SDSS DR12 QSO Paris+16**: luminous objects, large coverage
 - **Good z** , $z < 4$, $|b| > 20\text{deg}$, **type 1**: $\text{FWHM}_{\text{CIV or CIII] or MgII}} > 1500\text{km/s}$
 - SDSS DR9: **no neighbours within 5"**
 - **Kozłowski'17**: L_{bol} , M_{BH} from SDSS phot., spectra
 - **UNWISE (Lang+14)**:
 - \sim AllWISE "**forced photometry**" on SDSS DR10 sou.
 - Inter/extra-polating W2,W3,W4 $\Rightarrow \nu L_{\nu,6\mu\text{m}} \equiv L_{\text{MIR}}$ **or uplims**
 - **3XMM DR5 (Rosen+17)**: X sou. cat.
 - pn exposure time $> 5\text{ks}$
 - SDSS sources within 15arcmin of 3XMM DR5 pointing
 - **FLIX**: flux on given position "**forced photometry**"
 - Using flux in 0.5-4.5keV $\Rightarrow L_X$ **2-10keV or uplims**

Treatment of upper limits

$$S=0 \Rightarrow S/\Delta S=0$$

$$S/\Delta S \sim 1$$

$$S/\Delta S \sim 6$$



- Treatment of upper limits:

- All sources have L_{bol} and M_{BH} (by design), they are all real

- For X and MIR:

- If flux- 1σ error bar $S-\Delta S > 0$: detection

- If $S-\Delta S \leq 0$: upper-limit

- If $S < 0 \Rightarrow S=0$, keeping ΔS

- Redistributing all the probability to > 0

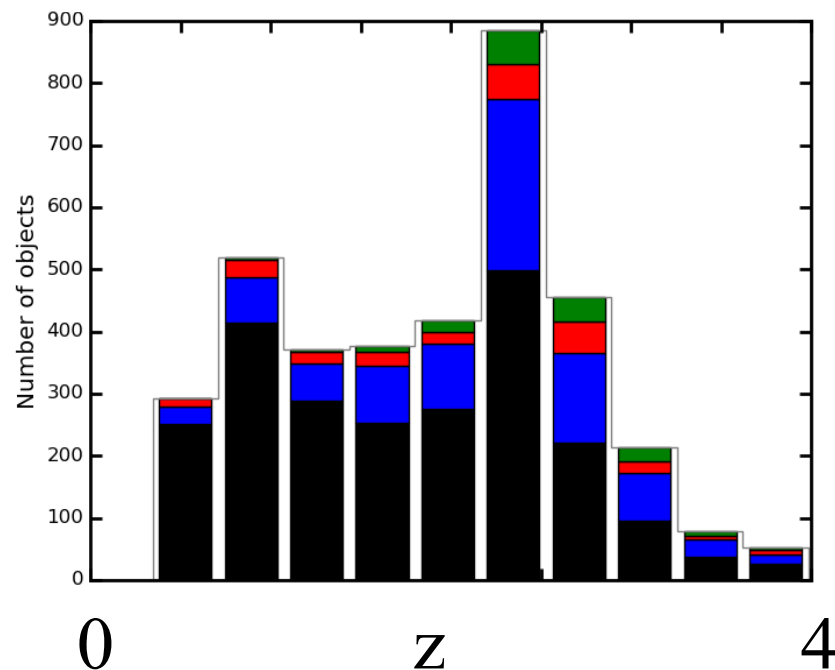
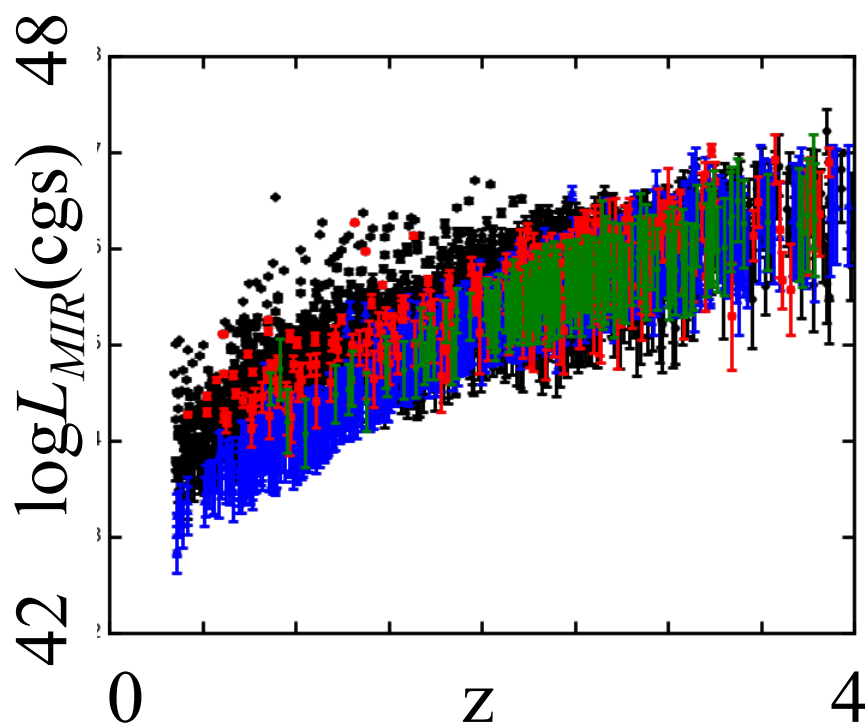
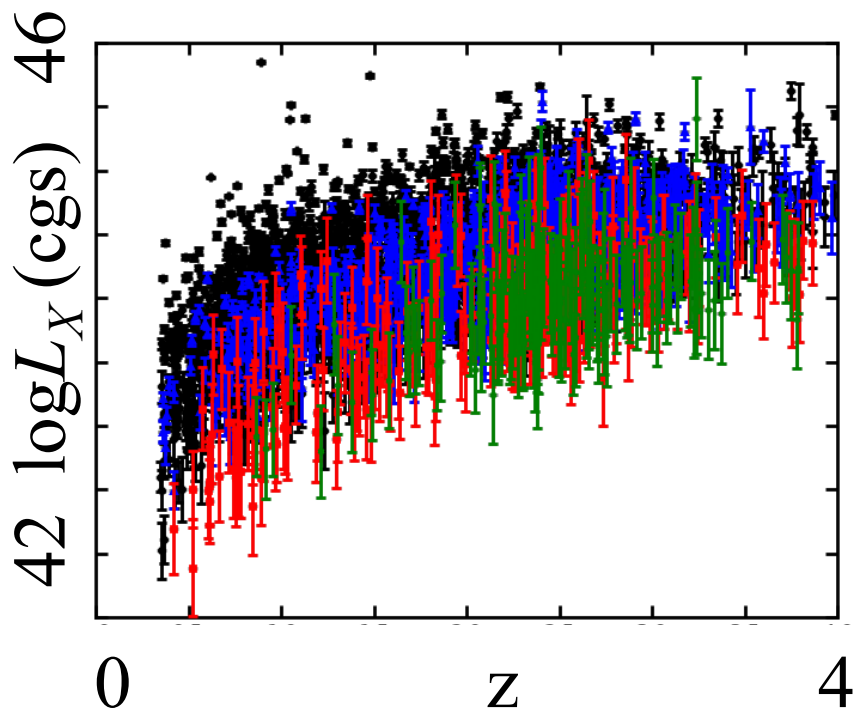
- But fits done in log-space:

- Sampled $\log(L)$ using truncated gaussian for flux \sim gaussian !

- Also done fits using "flat" up. lims for upper-limits and no difference

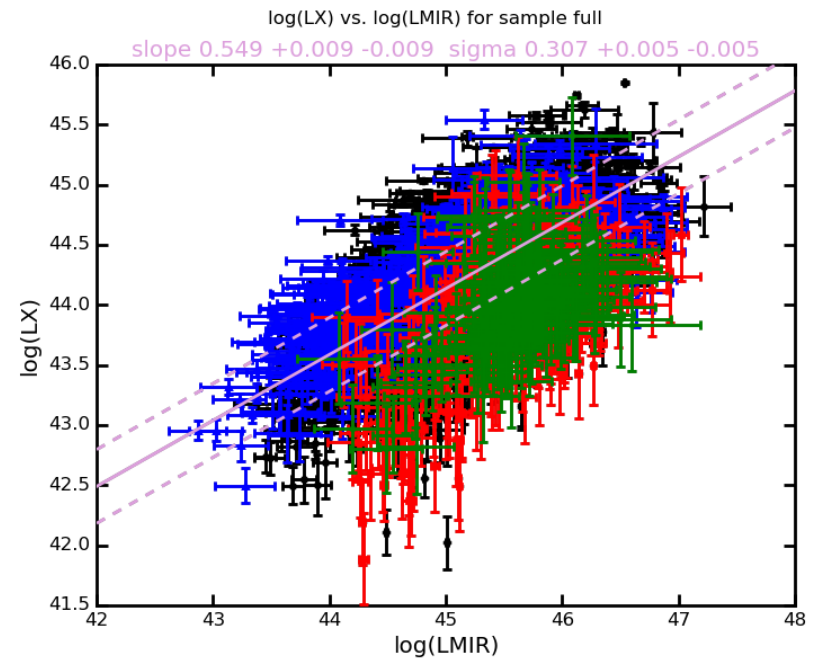
Our sample

- 3663 QSO1:
 - 2361 X-det and MIR-det
 - 238 only MIR-det
 - 900 only X-det
 - 164 X-nodet & MIR-nodet



Model fits

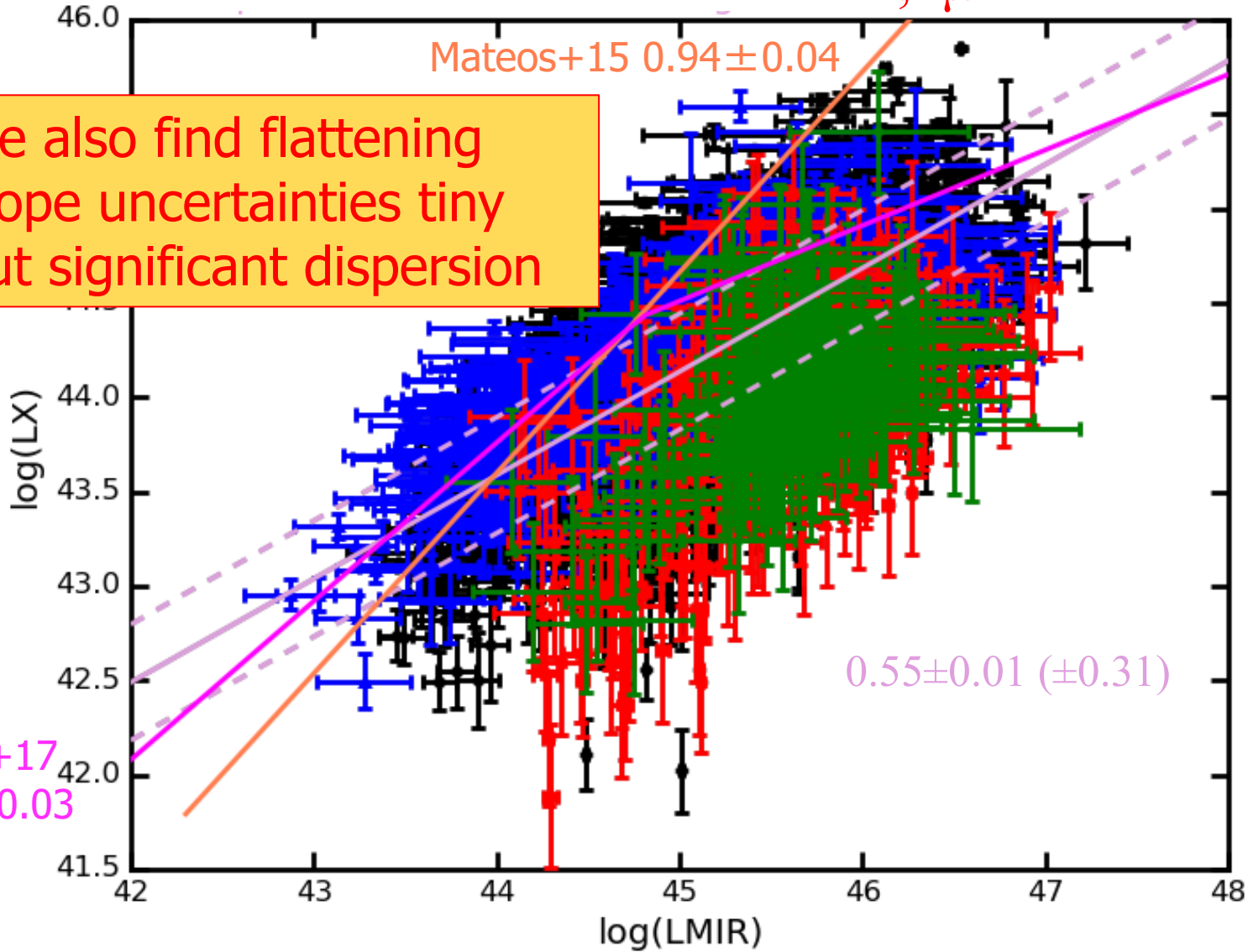
- Fitting a straight line in log-log:
 - Errors on both coordinates
 - Large dispersion



- Kelly'07: Bayesian method (IDL, python K07):
 - Fits a straight line
 - Taking into account (gaussian) errors in X and Y
 - Allowing for intrinsic dispersion in the data σ
 - Can handle upper limits in Y
 - Uncertainties from MCMC: median and 1σ percentiles
 - ...

$\log(L_X)$ vs $\log(vL_{v,6\mu m})$: full

- We also find flattening
- Slope uncertainties tiny
- But significant dispersion



0.40 ± 0.03

X-MIR
onlyMIR
onlyX
none

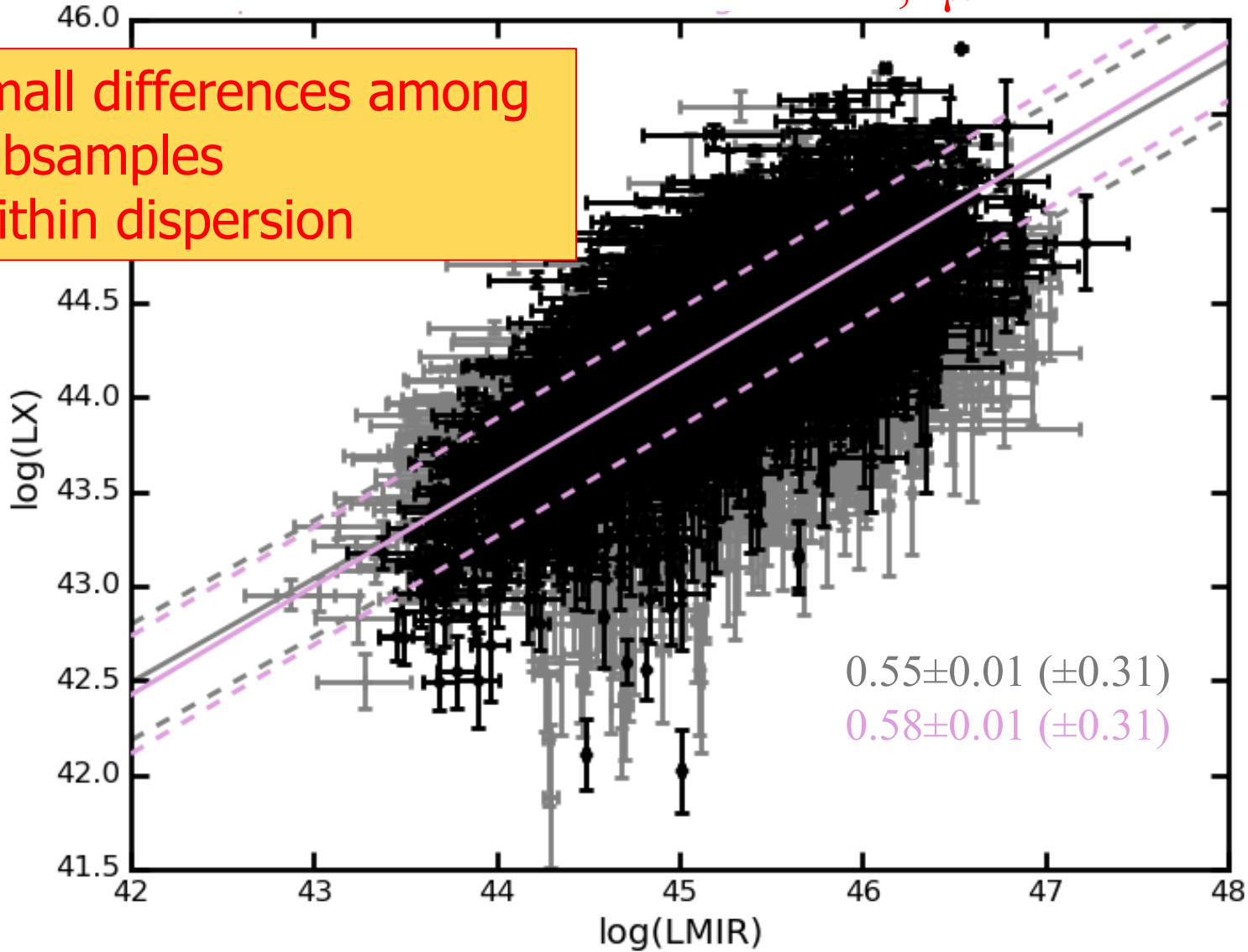
$0.55 \pm 0.01 (\pm 0.31)$

Chen+17
 0.84 ± 0.03

Mateos+15 0.94 ± 0.04

$\log(L_X)$ vs $\log(vL_{v,6\mu\text{m}})$: full

- Small differences among subsamples
- Within dispersion



X-MIR

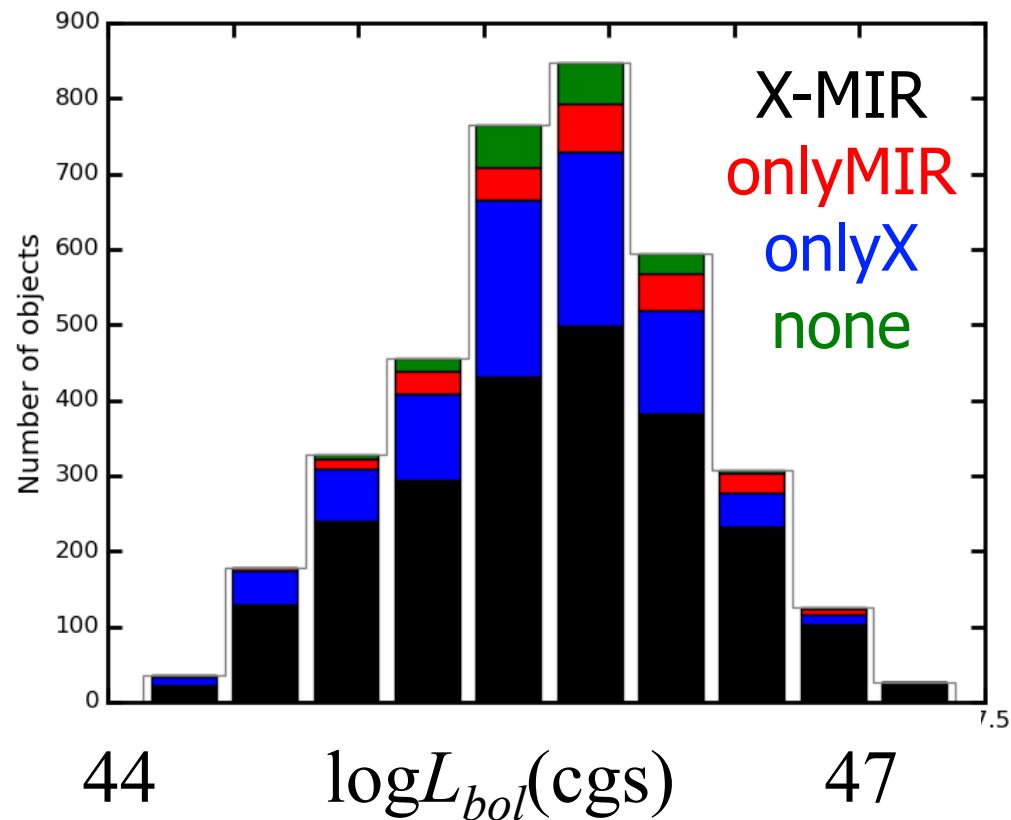
full

$0.55 \pm 0.01 (\pm 0.31)$

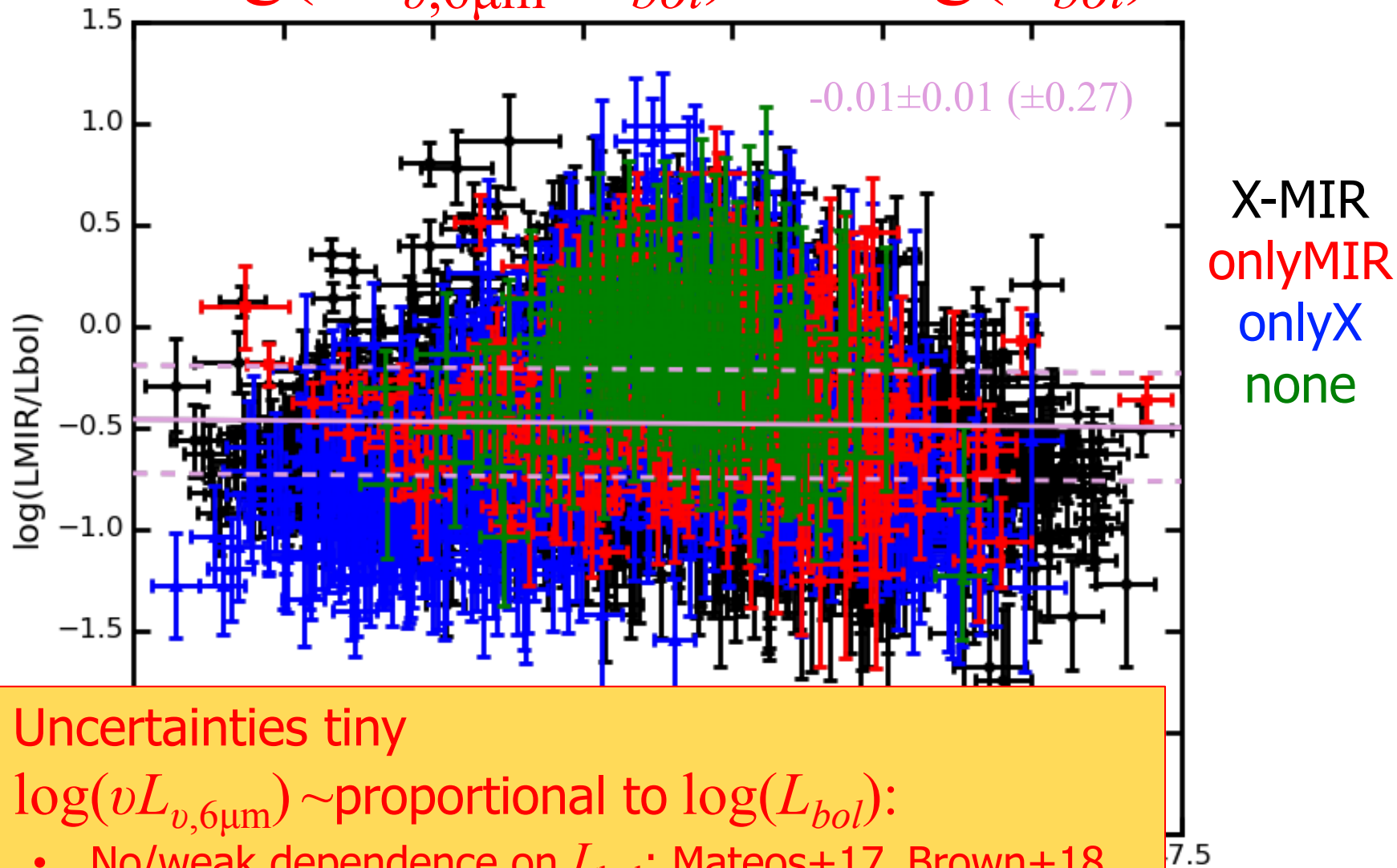
$0.58 \pm 0.01 (\pm 0.31)$

What is going on?

- Several possibilities:
 - Both increasing but MIR faster
 - X-ray flattening but MIR not
 - Both flattening but MIR slower
 - ...
- Need to compare with the origin of both:
 - Kozłowski'17 SDSS: L_{bol} from L_{1350} , L_{3000} , L_{5100} using bol. corr. (Richard+06)
 - $L_{MIR}/L_{bol} \approx$ covering factor
 - $L_X/L_{bol} \sim 1/\kappa_{bol}$
 - Also $\log(M_{BH}/M_\odot) \in [7.2, 10.7]$

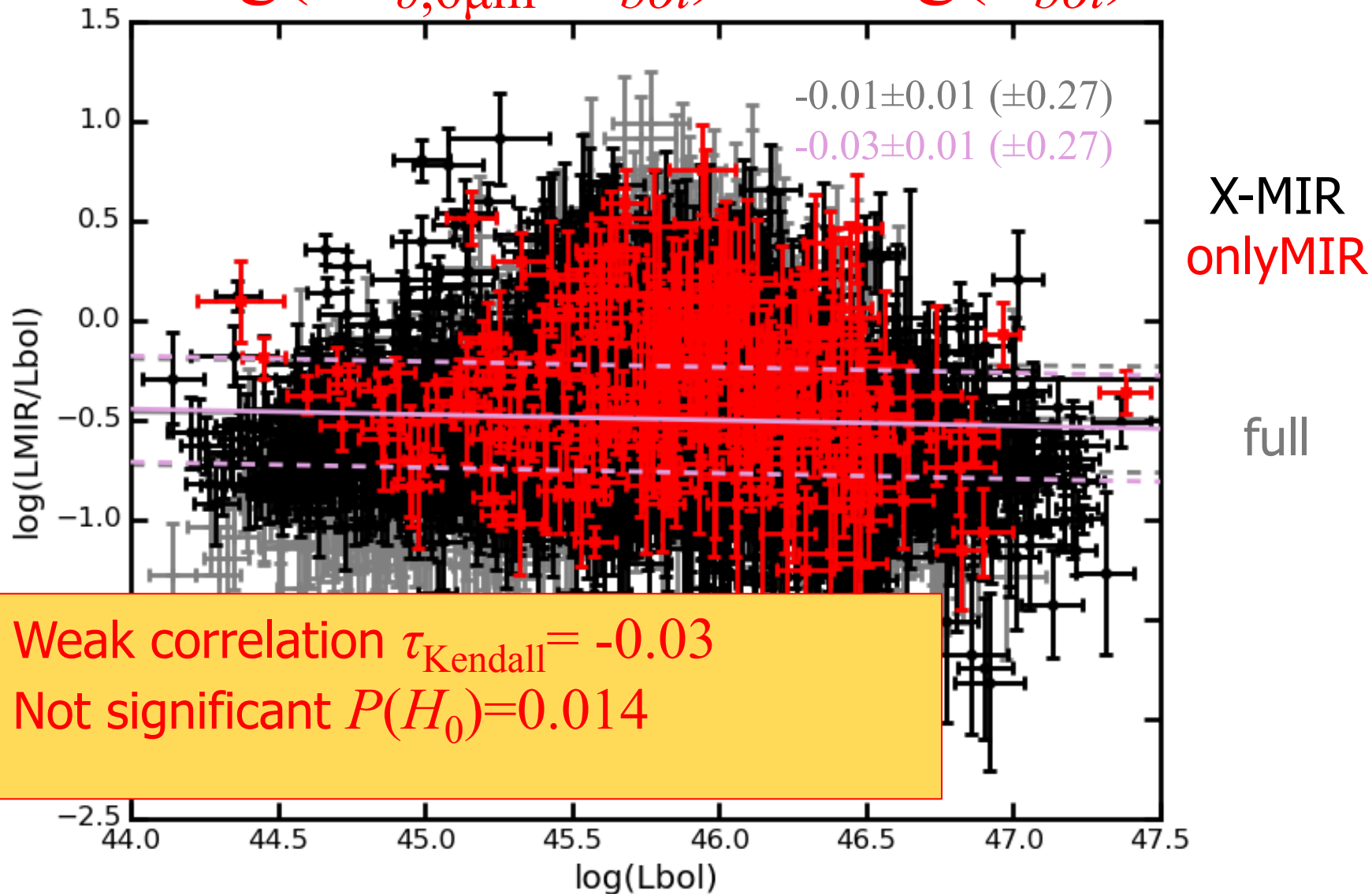


$\log(vL_{v,6\mu\text{m}}/L_{bol})$ vs $\log(L_{bol})$



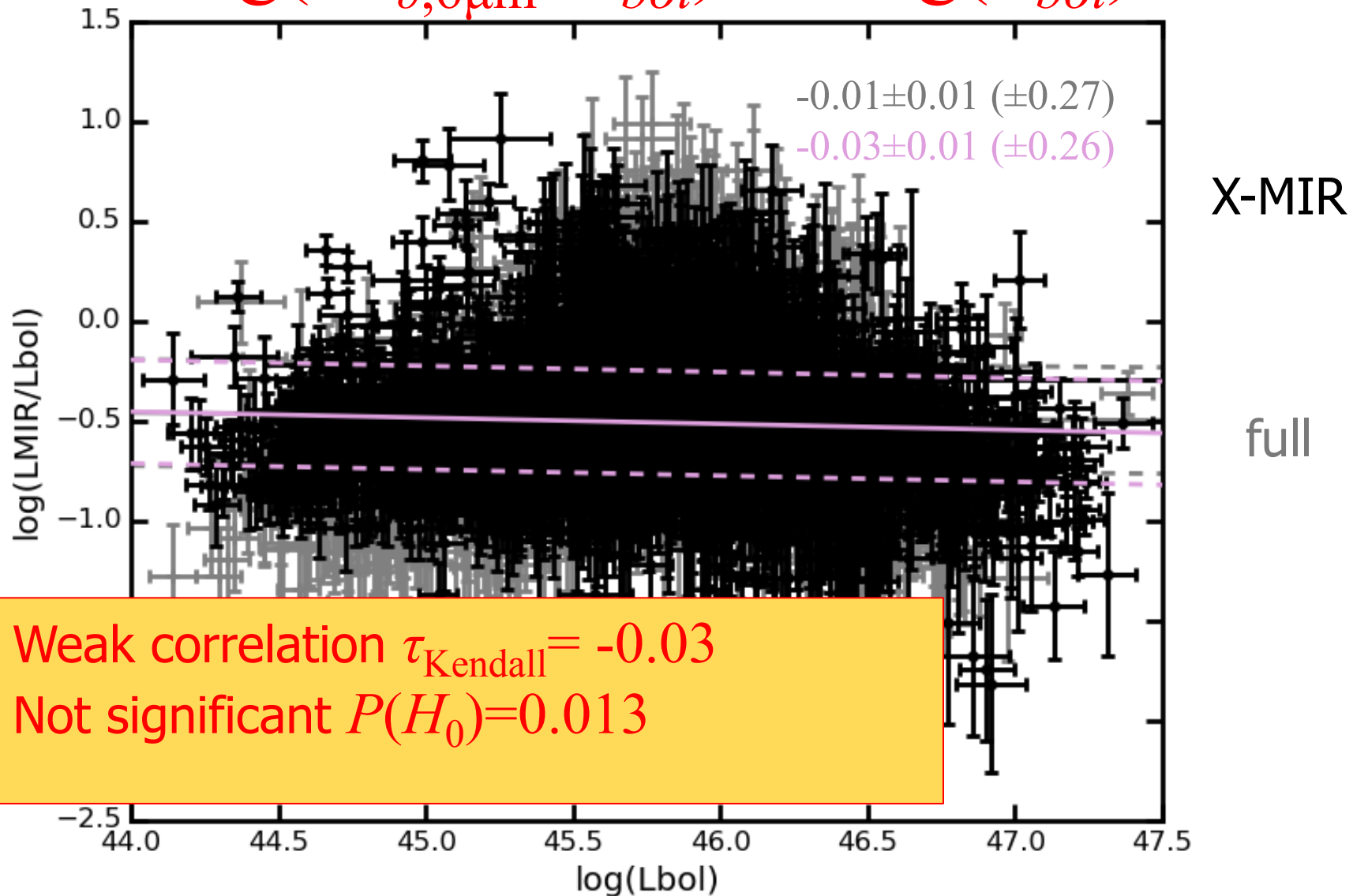
- Uncertainties tiny
- $\log(vL_{v,6\mu\text{m}}) \sim$ proportional to $\log(L_{bol})$:
 - No/weak dependence on L_{bol} : Mateos+17, Brown+18
- Weak correlation $\tau_{\text{Kendall}} = -0.01$
- Not significant $P(H_0) = 0.31$

$\log(vL_{v,6\mu\text{m}}/L_{\text{bol}})$ vs $\log(L_{\text{bol}})$



- Weak correlation $\tau_{\text{Kendall}} = -0.03$
- Not significant $P(H_0) = 0.014$

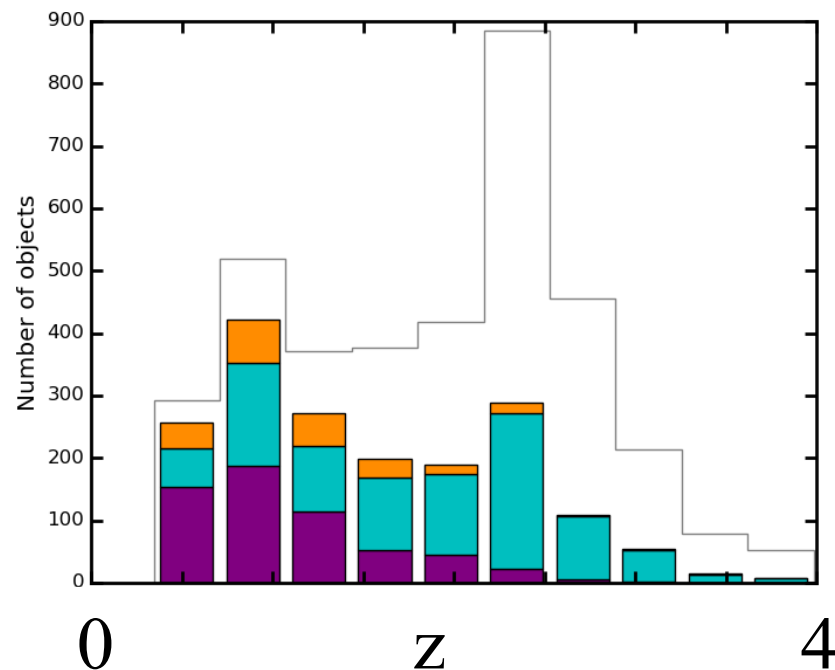
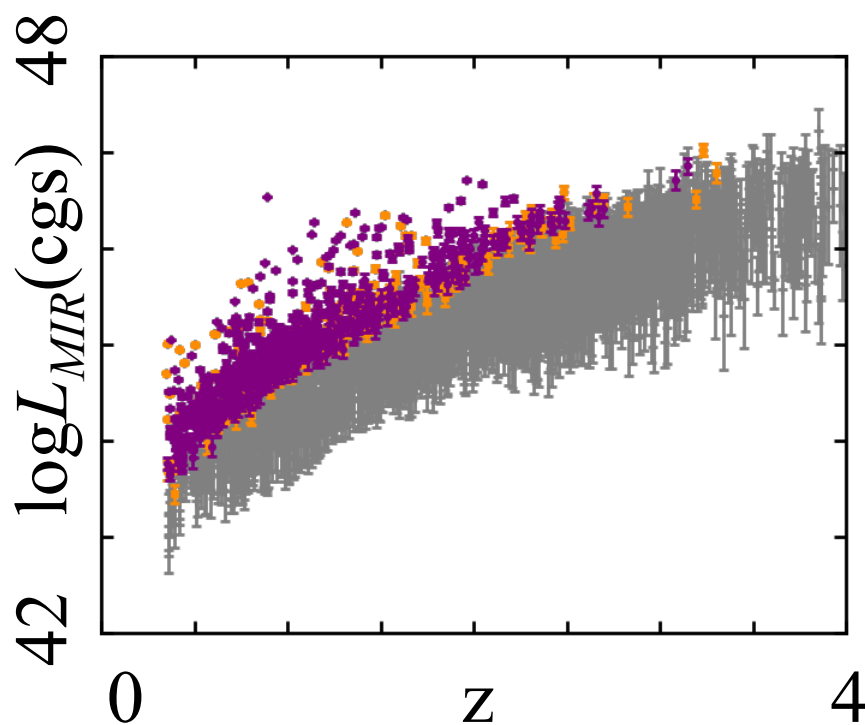
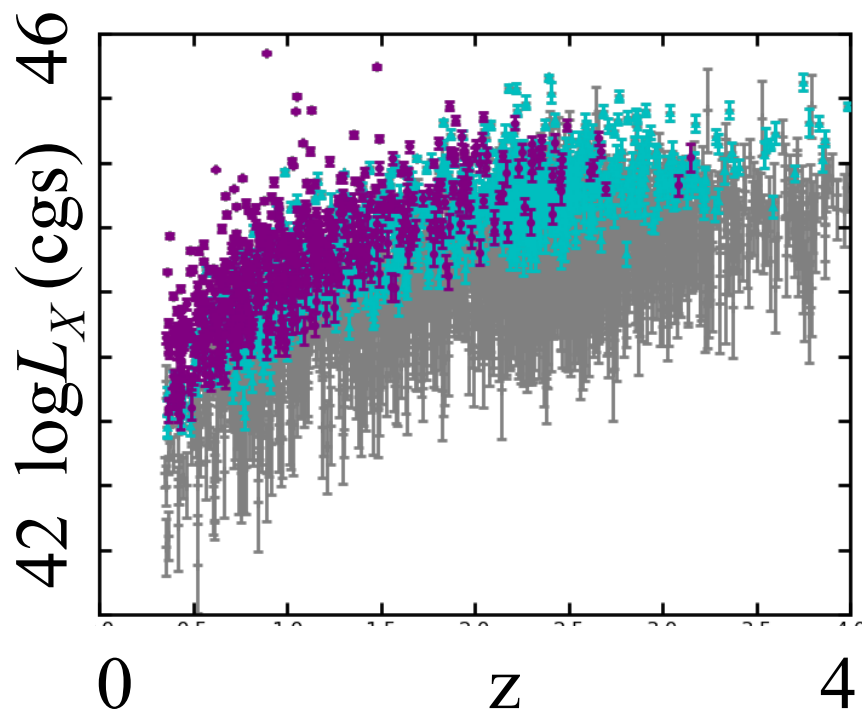
$\log(vL_{v,6\mu\text{m}}/L_{bol})$ vs $\log(L_{bol})$



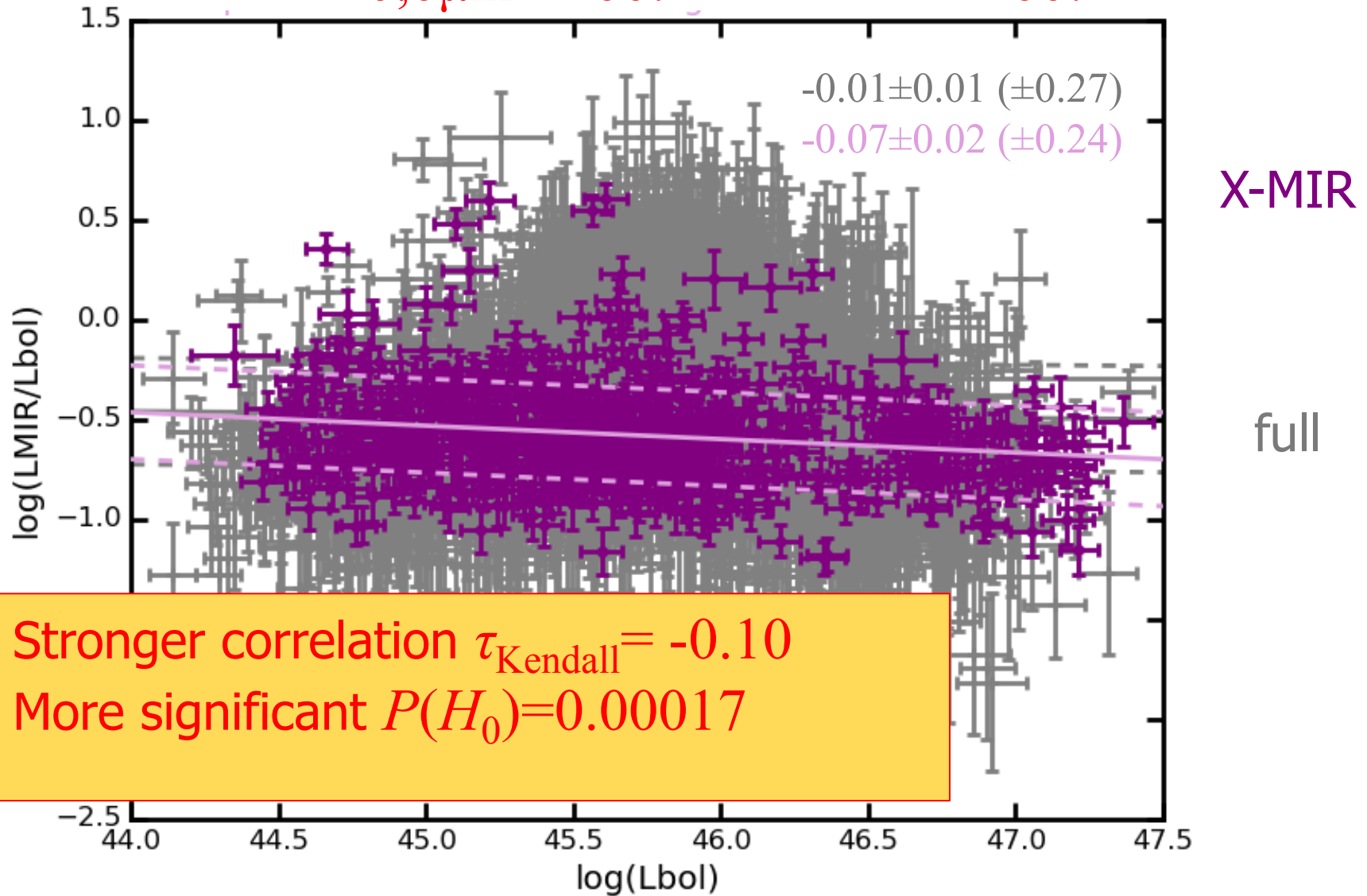
- Weak correlation $\tau_{\text{Kendall}} = -0.03$
- Not significant $P(H_0) = 0.013$

Our hiSNR sample

- 3663 QSO1:
 - 581 SNR>4 X and MIR
 - 813 only SNR>4 MIR
 - 1585 only SNR>4 X

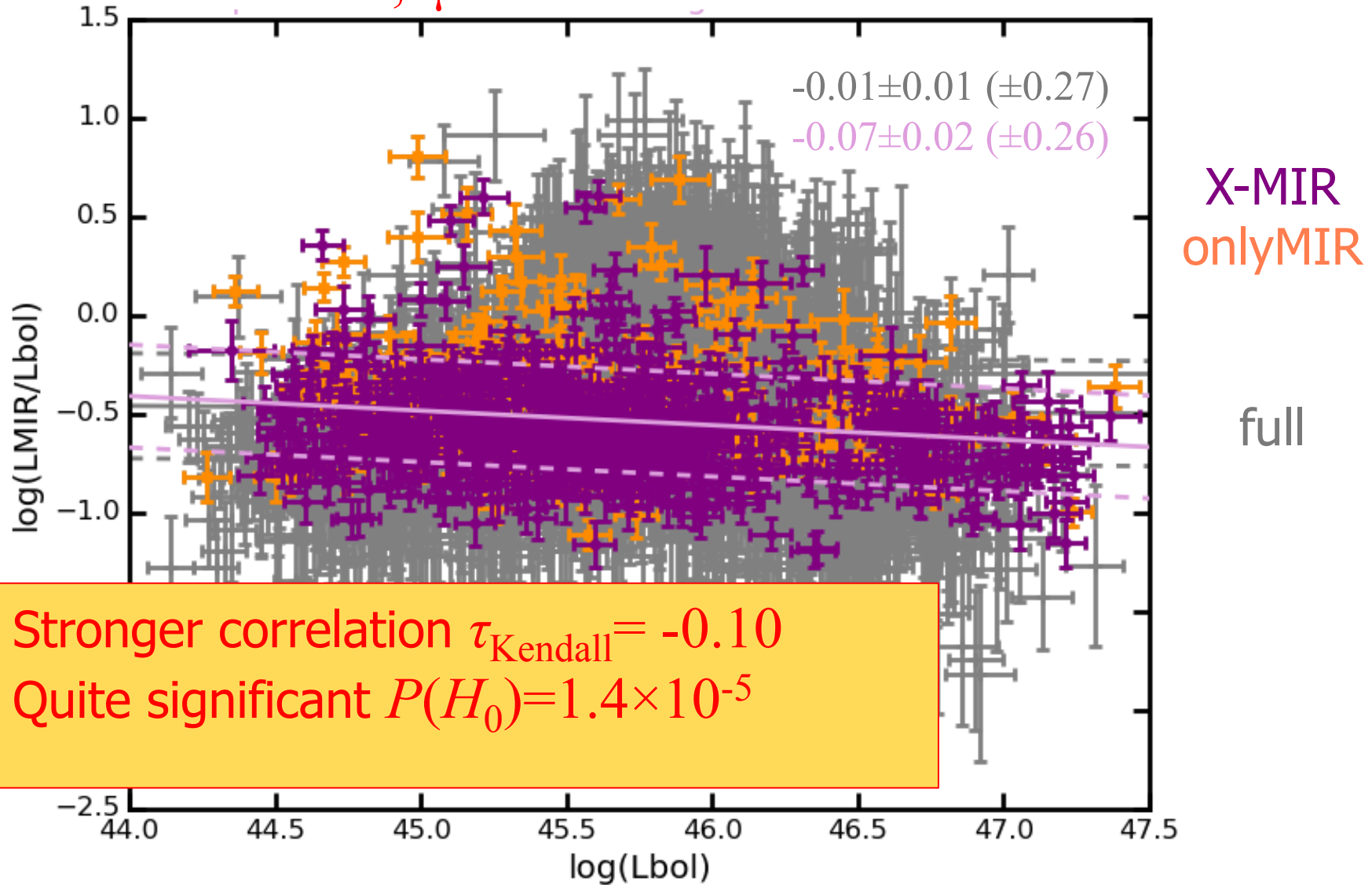


$\log(vL_{v,6\mu\text{m}}/L_{\text{bol}})$ vs $\log(L_{\text{bol}})$ hi SNR



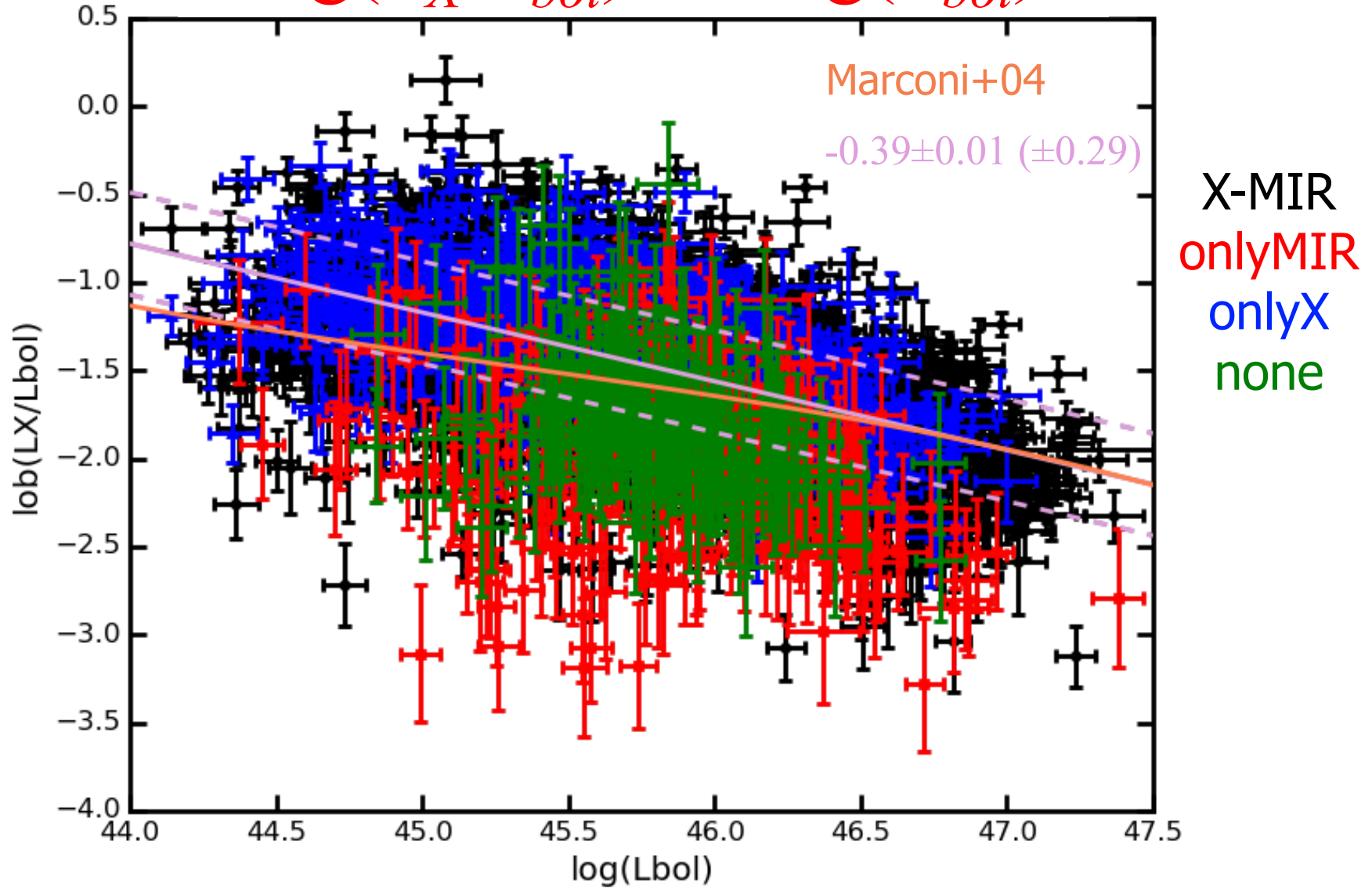
- Stronger correlation $\tau_{\text{Kendall}} = -0.10$
- More significant $P(H_0) = 0.00017$

$\log(vL_{v,6\mu\text{m}}/L_{\text{bol}})$ vs $\log(L_{\text{bol}})$ hi SNR

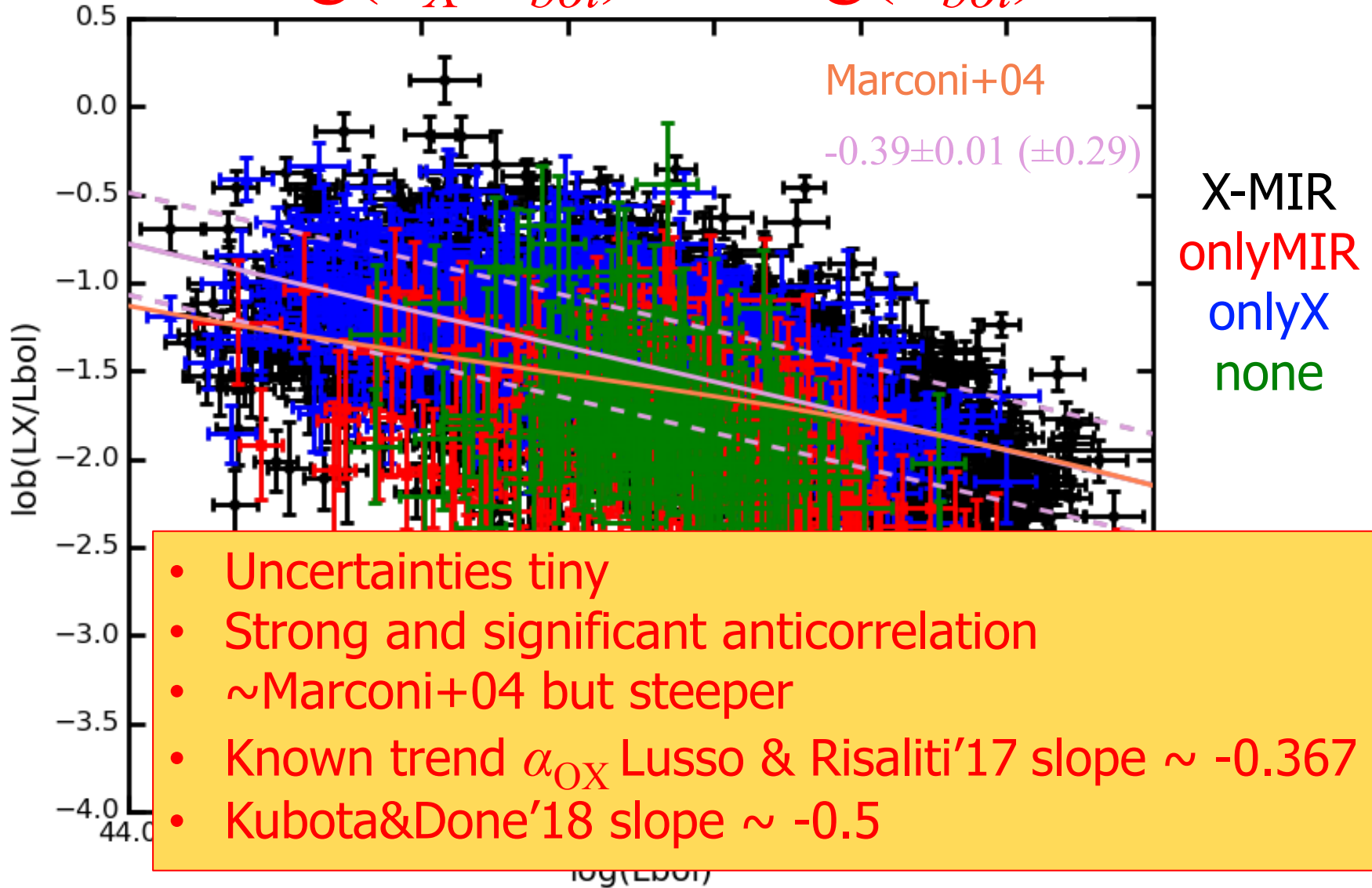


- Stronger correlation $\tau_{\text{Kendall}} = -0.10$
- Quite significant $P(H_0) = 1.4 \times 10^{-5}$

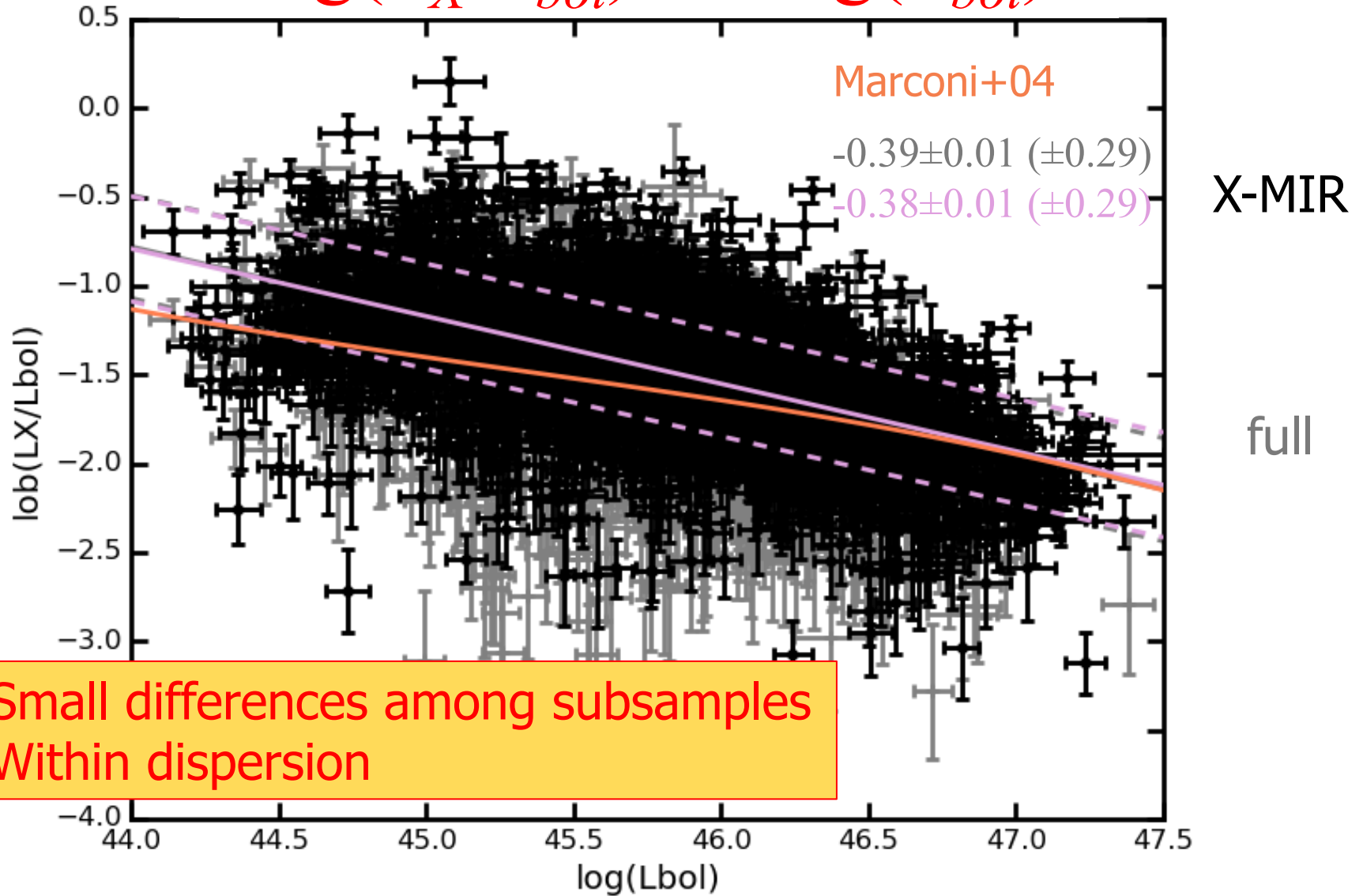
$\log(L_X/L_{bol})$ vs $\log(L_{bol})$



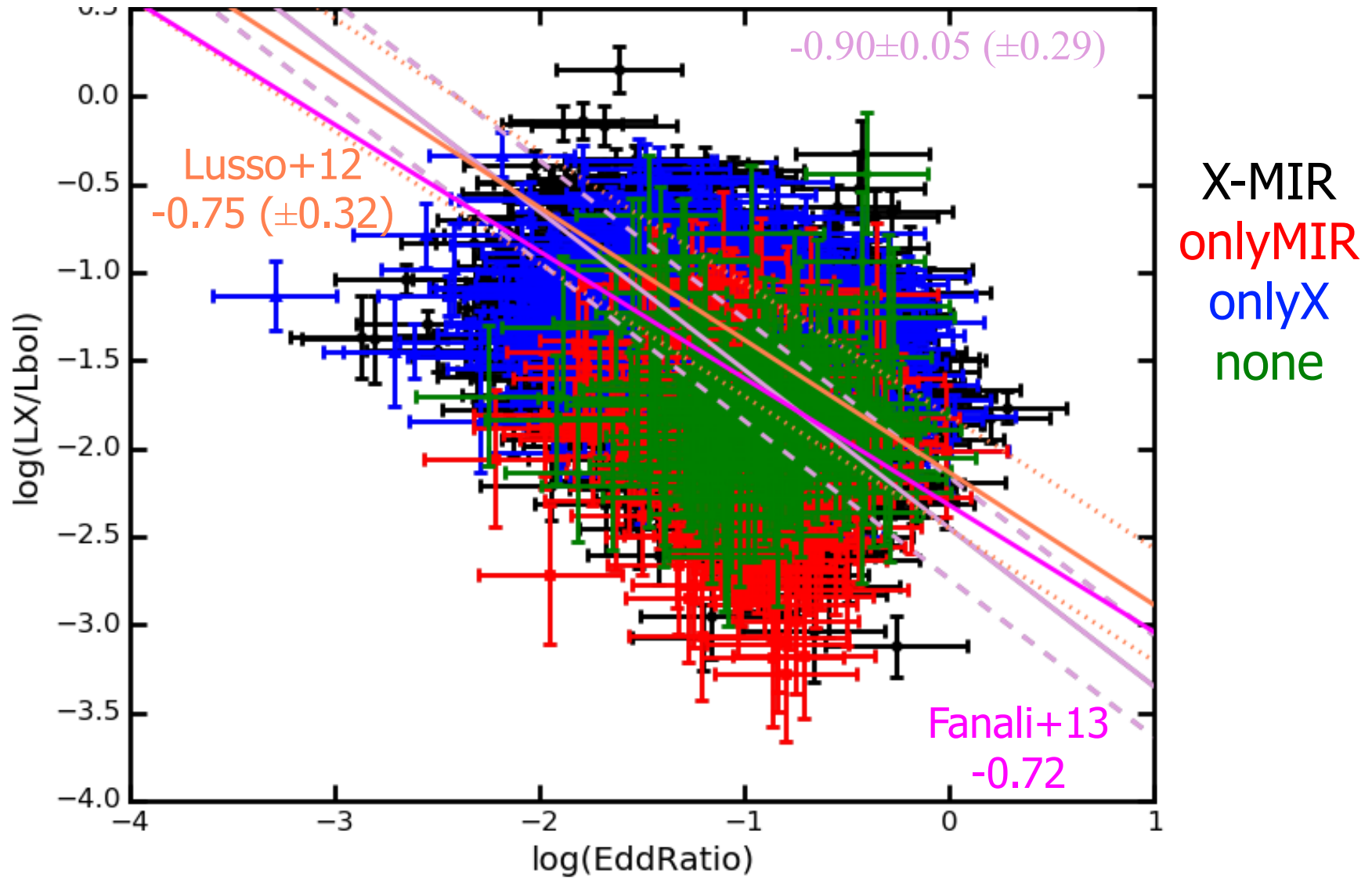
$\log(L_X/L_{bol})$ vs $\log(L_{bol})$



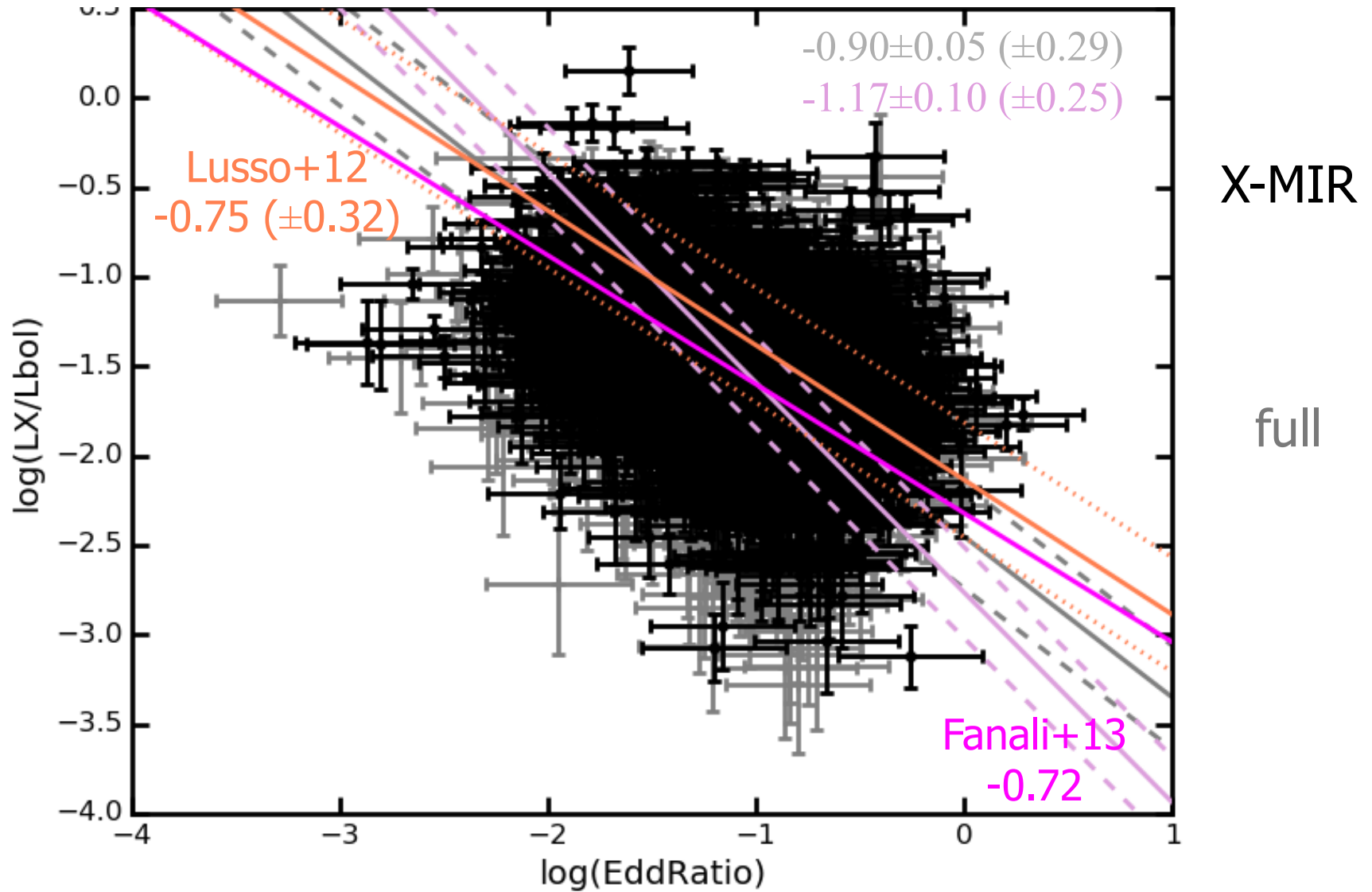
$\log(L_X/L_{bol})$ vs $\log(L_{bol})$



$\log(L_X/L_{bol})$ vs $\log(\text{Eddington Ratio})$



$\log(L_X/L_{bol})$ vs $\log(\text{Eddington Ratio})$



Conclusions

- Large sample of **3663 optically selected type 1 QSOs**:
 - X-ray and MIR luminosities and upper limits
- Confirm **flattening** of L_X vs. L_{MIR} at the highest L_{MIR}
 - Using upper limits in X, MIR **even slightly flatter**
- Comparing to the input optical/UV radiation:
 - $L_{\text{MIR}}/L_{\text{bol}}$ flat: \sim constant or weakly decreasing covering factor ...**Mateos+17, Brown+18**
 - L_X/L_{bol} decreases with L_{bol} as in phys. models
- Can also check for dependences on Edd. ratio...
 - L_X/L_{bol} vs Edd. Ratio steeper than previous results (**Lusso+12, Fanali+13**)